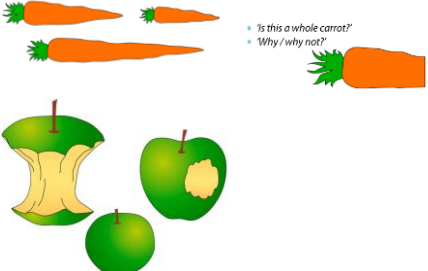
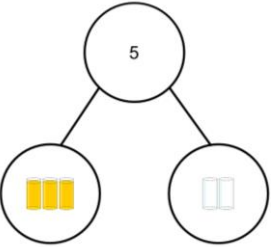
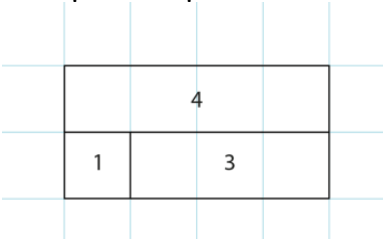
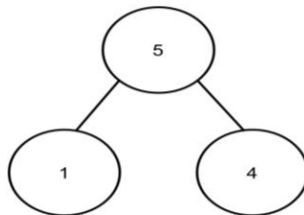
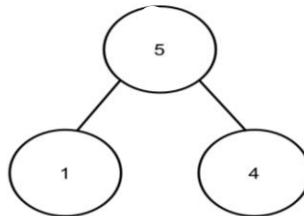
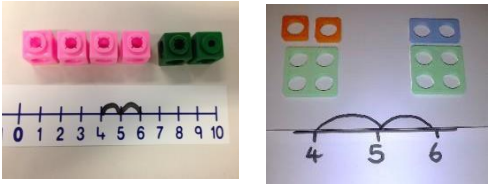
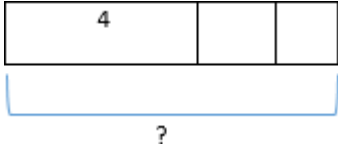
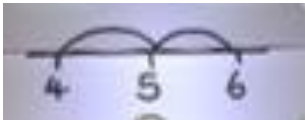


Maths Calculation Policy - Addition

This document shows the models, pictures and calculation methods we use at Stottesdon C o E Primary School.

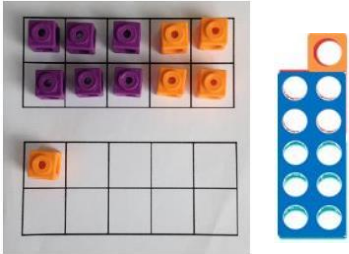
Addition

Key language which should be used: sum, total, parts and wholes, plus, add altogether, more than, is equal to, is the same as, addends

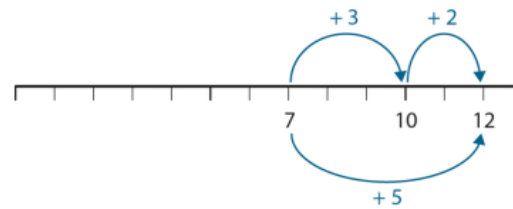
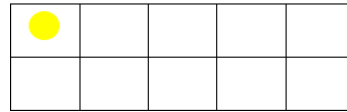
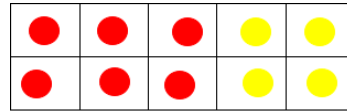
| Concrete | Pictorial | Abstract |
|--|--|---|
| <p>Concept of part/whole. (what is a part/not a part? and what is a whole/not a whole?)</p>  <p>• Is this a whole carrot? • Why / why not?</p> |  <p>Using squared paper can help introduce the bar model to represent parts and whole.</p>  |   |
| <p>Counting on using number lines by using cubes or numicon</p>  | <p>A bar model which encourages the children to count on</p>  <p>Maths stories - First, there are four horses in field. Next, two more horses come into the field. How many horses are in the field now?</p> | <p>The abstract number line: What is 2 more than 4? What is the sum of 4 and 4? What's the total of 4 and 2? $4 + 2$</p>  |

Regrouping to make 10 by using ten frames and counters/cubes or using numicon:

$$6 + 5$$



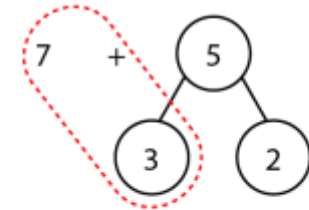
Children to draw the ten frame and counters/cubes



Children to develop an understanding of equality e.g. $6 + \square = 11$ and

$$6 + 5 = 5 + \square \quad 6 + 5 = \square + 4$$

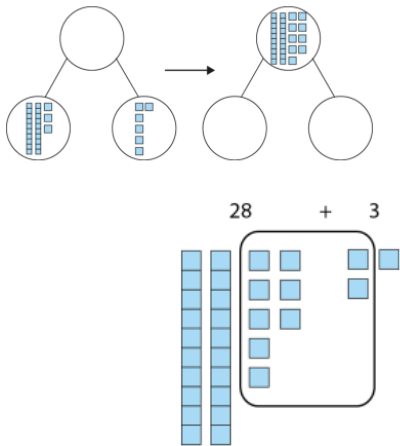
Mentally partitioning one of the addends to make a model of ten. Practice adding three one-digit numbers is key as a stepping stone to this strategy.



$$7 + 3 = 10$$

$$10 + 2 = 12$$

TO + O using base 10. Continue to develop understanding of partitioning, recombining and place value $41 + 8$

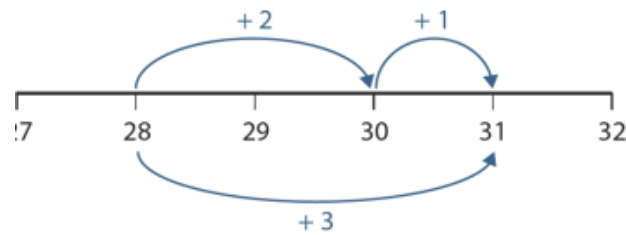


And bridging ten

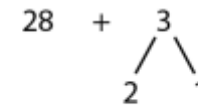
Children to represent the concrete using a symbol e.g. lines for tens and dot/crosses for ones. Variation in these symbols should be provided.



Use of a number line to represent when bridging ten.

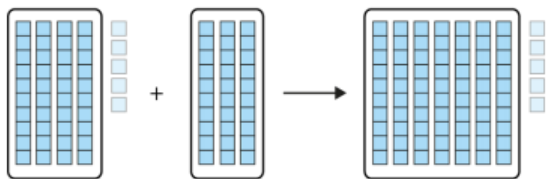


When bridging ten, partitioning the second addend.



$$\begin{aligned}
 28 + 3 &= 28 + 2 + 1 \\
 &= 30 + 1 \\
 &= 31
 \end{aligned}$$

TO + T using equipment such as base ten



Use of a 100 square Image of a 100 square.

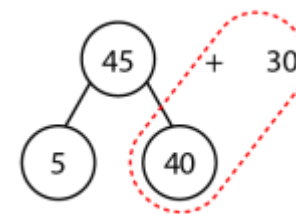
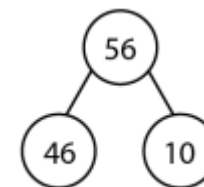
| | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | |
|----------------|----|----|----|----|----|----|----|----|----|-----|----------------|
| $14 + 10 = 24$ | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | $24 - 10 = 14$ |
| $24 + 10 = 34$ | 21 | 22 | 23 | 24 | 25 | 26 | 27 | 28 | 29 | 30 | $34 - 10 = 24$ |
| $34 + 10 = 44$ | 31 | 32 | 33 | 34 | 35 | 36 | 37 | 38 | 39 | 40 | $44 - 10 = 34$ |
| $44 + 10 = 54$ | 41 | 42 | 43 | 44 | 45 | 46 | 47 | 48 | 49 | 50 | $54 - 10 = 44$ |
| $54 + 10 = 64$ | 51 | 52 | 53 | 54 | 55 | 56 | 57 | 58 | 59 | 60 | $64 - 10 = 54$ |
| $64 + 10 = 74$ | 61 | 62 | 63 | 64 | 65 | 66 | 67 | 68 | 69 | 70 | $74 - 10 = 64$ |
| $74 + 10 = 84$ | 71 | 72 | 73 | 74 | 75 | 76 | 77 | 78 | 79 | 80 | $84 - 10 = 74$ |
| $84 + 10 = 94$ | 81 | 82 | 83 | 84 | 85 | 86 | 87 | 88 | 89 | 90 | $94 - 10 = 84$ |
| | 91 | 92 | 93 | 94 | 95 | 96 | 97 | 98 | 99 | 100 | $94 - 10 = 84$ |

Using known facts and procedural variation.

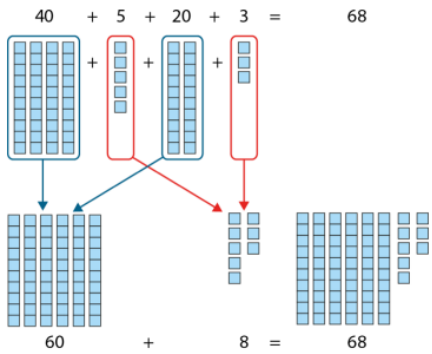
$$14 + 10 = 24$$

$$24 + 10 = 34$$

$$34 + 10 = 44$$

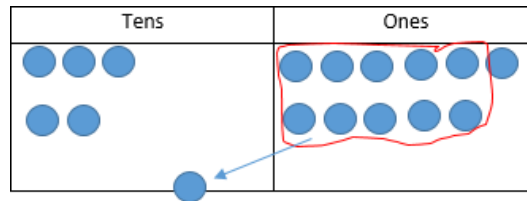
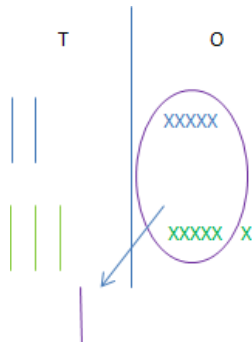


TO + TO using base 10. Continue to develop understanding of partitioning and place value and use this to support addition. Begin with no exchanging. $36 + 25$



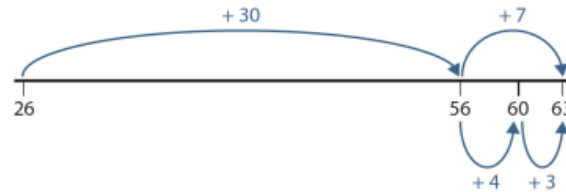
Adding two tens and two ones leading into adding two 2-digit numbers.

| | | | |
|----|---|----|---|
| 68 | | | |
| 40 | 5 | 20 | 3 |



Number line leads to just mental partitioning of second addend.

$$26 + 30 + 7$$

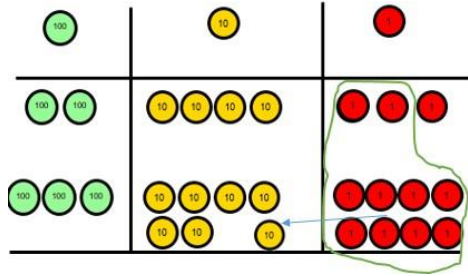


| Partitioning both addends | Partitioning one addend |
|---|--|
| $\begin{array}{r} 26 \\ 20 \quad 6 \end{array} + \begin{array}{r} 37 \\ 30 \quad 7 \end{array}$ | $26 + \begin{array}{r} 37 \\ 30 \quad 7 \end{array}$ |
| $20 + 30 = 50$ $6 + 7 = 13$ $50 + 13 = 63$ | $26 + 30 = 56$ $56 + 7 = 63$ |
| so £26 + £37 = £63 | |

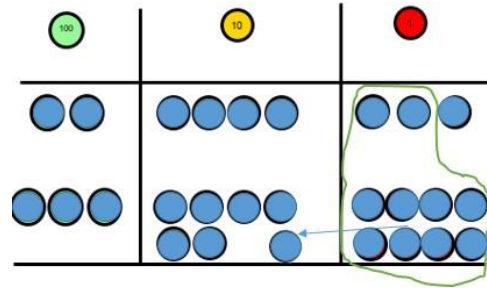
Choosing the most efficient method.

$$\begin{array}{r} 36 + \\ 45 \\ 1 \\ \hline 81 \end{array}$$

Use of place value counters to add **HTO + TO**, **HTO + HTO** etc. once the children have had practice with this, they should be able to apply it to larger numbers and the abstract



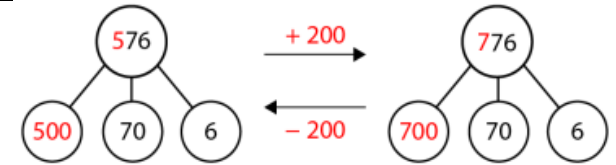
Children to represent the counters e.g. like the image below



If the children are completing a word problem, draw a bar model to represent what it's asking them to do

| | |
|-----|-----|
| ? | |
| 243 | 368 |

When just adding hundreds, tens or ones, then use of a part whole model to aid fluency.



$$576 + 200 = 776$$

$$776 - 200 = 576$$

Link mental methods to subtraction

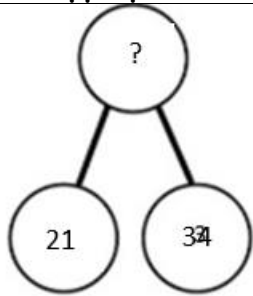
$$243 +$$

$$368$$

$$11$$

$$611$$

Fluency and variation. Asking different ways to solve addition calculations. Children are encouraged to make the most efficient choices where appropriate.



Sam saved £21 one week and £34 another. How much did he save in total?

$21 + 34 = 55$ Prove it. (reasoning but children need to be fluent in representing this).

Balancing equations
 $50 + 5 = 55 = 21 + \underline{\quad}$

Function machines

| | | |
|----|--------|--|
| 16 | + 30 = | |
| 26 | | |
| 36 | | |

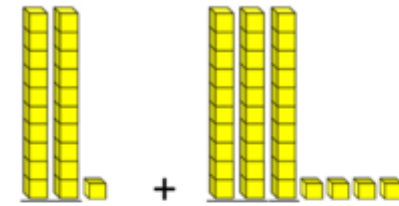
$21 + \underline{\quad} = 75 - 20$

| | | |
|---|---|---|
| 2 | 1 | + |
| 3 | 4 | |
| | | |
| 5 | 5 | |

Missing number
 $\underline{\quad} = 21 + 34$

$55 = 21 + \underline{\quad}$

What is the sum of twenty one and thirty four?



Always use missing digit problems too:

| Tens | Ones |
|------|------|
| | |
| | ? |
| ? | 4 |